



ELECTRONICS ENGINEERING DEPARTMENT

Controls Notes

Hand Notes For Electronics Engineering Department

HAND NOTES

Page Length : 111

Note : We also providing IIT JEE, Advance, NEET, JEE UG, GATE, IES, PSUs & Competitive Exam Materials [Handnotes, Shortnotes & Books], All Reports [Seminar Reports & PPT]

Goto : www.martcost.com

DATE: May. 20, 2007.

EE

7.00 - 1.00 \Rightarrow Control systems \rightarrow Hall 7

2.30 - 8.30 \Rightarrow Digital electronics \rightarrow Hall 7.

CONTROL SYSTEMS \rightarrow 15 Marks.

21-05-07

1. Nagrath & Gopal.

2. B.C. Kuo

3. IES/IAS papers G.K. publishers.

4. A.K. Jaisrath

\rightarrow T/f, Block diagram, signal flow — 2 M

\rightarrow Time Domain Analysis \rightarrow 4 M

{ f/b changes the location of poles }

\rightarrow stability \rightarrow 4 to 6 M } \rightarrow for closed loop

[RH/RL/BP/HP]

\rightarrow Compensator (PID controller) \rightarrow 2 M

state space

\rightarrow ~~steady state~~ Analysis \rightarrow Multi i/p, Multi o/p. \rightarrow 2 to 4 M

Transfer functions

\rightarrow order of the system \rightarrow no. of storage elements (or) one time constant

T/f is a mathematical equivalent

Model for a system.

* T/f valid for \rightarrow Linear time Invariant (LTI) { Time domain specifications }

TDA \rightarrow to know about the performance of the system. w.r.t. time.

\rightarrow for unbounded signals we don't find the stability \downarrow ramp

State space Analysis \rightarrow Dynamic Systems { Linear / Non-linear / time variant / Invariant }

→ -ve flb → poles shifted to left

→ +ve flb → poles shifted to right

→ In closed loop system if order of the system is very high, it is difficult to find roots of T/F. so we use

* RH → char. eq to find CL stability

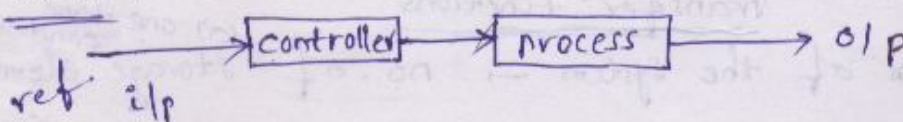
* RL / BP / NP → O/L

* Order → NP, RL, BP, RH.

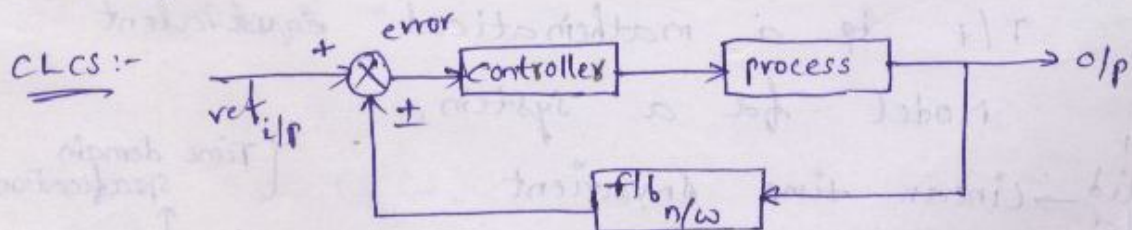
⇒ Control system: It is an arrangement of group of phy. components in such a way that it gives the desired o/p by means of controller. either direct method or indirect.

→ Based on the controller action, control systems

O/LCS :-



CLCS :-



O/LCS :-

A system in which the controller action is inde. of o/p. eg:- fan, heater. eg:- Any system which not sense the o/p. eg:- normal, iron box, traffic lights

CLCS :-

The controller action is totally

depends on o/p. eg:- Any m/c with Automatic which sense the o/p. eg:- Refrigerator, iron box automatic

⇒ F/b n/w:- It is nothing but a transducer which converts energy from one form to the another form.

* It consists passive elements R, L, C . The max. value of f/b n/w ratio is one.

⇒ f/b is the property of the CL system which brings the o/p to the ~~with~~ ~~error~~ ~~input~~ ~~error~~ ~~input~~ to compare with ref i/p and generates error signal, then the controller is adjusted such that error becomes zero.

⇒ T/f:- It is a mathematical equivalent model for the system.

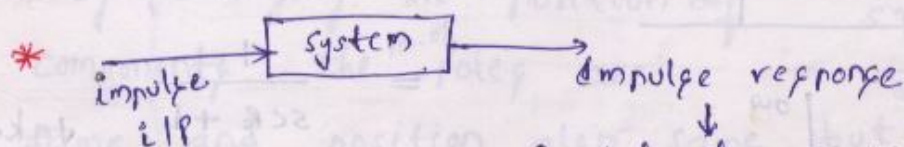
DEF: A T/f of a Linear time Invariant (LTI) is defined as ratio of L.T o/p to L.T i/p. with all initial cond'g are zero.

(low pass \rightarrow Integrator)

Linear System \rightarrow Transfer function

Non-linear \rightarrow Describing function

DEF 2: A r/f of a LTI, is also defined as L.T. of impulse response with all initial cond'g are zero.



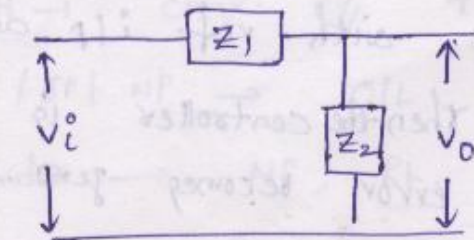
↓
Natural response or actual system response or free forced response.

* for, ramp, step \rightarrow forced response.

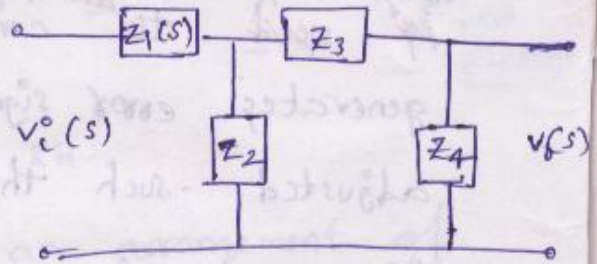
⇒ T/f

- Electrical n/w
- Differential eq.
- Signal response

→ Electrical n/w:-

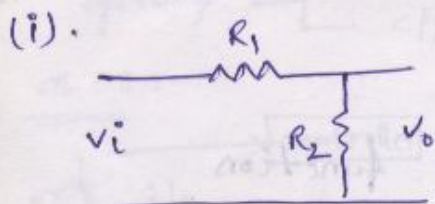


$$\frac{V_o(s)}{V_i(s)} = \frac{Z_2(s)}{Z_1(s) + Z_2(s)}$$



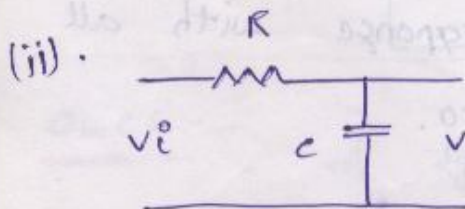
$$\frac{V_o(s)}{V_i(s)} = \frac{Z_2(s) \cdot Z_4(s)}{Z_1(s) [Z_2(s) + Z_3 + Z_4] + Z_2 [Z_3 + Z_4]}$$

Q. find the T/f for the following:-
and represent poles and zeros in s-plane.

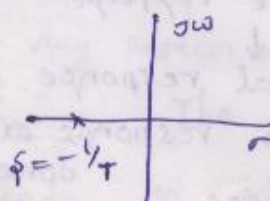


$$\frac{V_o}{V_i} = \frac{R_2}{R_1 + R_2}$$

* attenuation factor
[no poles & zeros]
because no storage elements



$$\frac{V_o}{V_i} = \frac{1/cs}{R + 1/cs}$$



$$= \frac{1}{s\tau + 1}$$

take $\tau = RC$
= $\frac{1}{s\tau + 1}$ (first order)
standard form

* A pole is nothing but -ve of inverse of system time constant at which the magnitude of r/f. is ~~infinity~~ infinity.

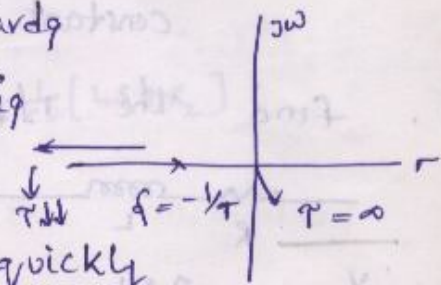
* \rightarrow Behaviour of the system is given by τ .

* If $\tau \uparrow$, (large) system response is slow.

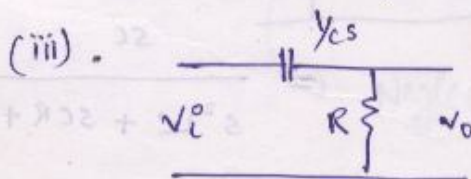
* τ at origin is infinity.

$\rightarrow \tau$ is nothing but -ve of inverse of dominant pole location $\tau = -1/\text{pole}$.

* As the pole moves towards to the left, the τ is decreased and system reaches steady state quickly



and becomes more stable.



$$T/F: \frac{V_o}{V_i} = \frac{R}{R + 1/sC}$$

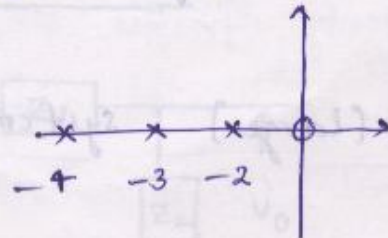
$$\text{Let } \tau = RC = \frac{CSR}{sCR + 1}$$

* By changing the position of components the no. of poles are same and position also same but the no. of zeros changes and ~~position~~ position changes.

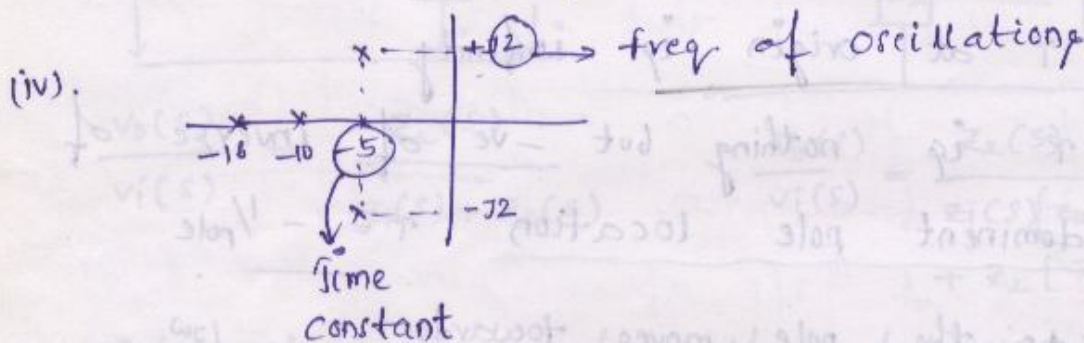
$$\text{here } \frac{dV}{ds} = \dots$$

⇒ A zero is -ve of inverse of system time constant at which magnitude of T/f is zero.

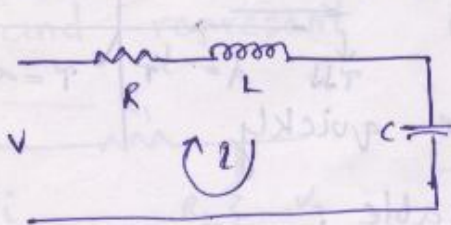
(iii). find out time constant,



$$\tau = -\frac{1}{\sigma} = 0.5$$



(v). find the T/f. 2 storage elements → 2 order.



$$V(s) = I(s) \left[R + sL + \frac{1}{sC} \right]$$

$$T/f = \frac{I}{V} = \frac{sC}{R + sL + \frac{1}{sC}}$$

$$\text{Let } L = 1 \text{ H}$$

$$C = 1 \text{ F}$$

$$R = 1 \Omega$$

Then locate poles & zeros. and explain what type of response.

$$\frac{I}{V} = \frac{s}{s^2 + s + 1}$$

$$\text{Time constant} = 2$$

$$\text{freq. of oscillation} = \frac{\sqrt{3}}{2} \text{ rad}$$

